

NATIONAL EDUCATION POLICY-2020

Syllabus of

BACHELOR'S DEGREE

and

BACHELOR'S DEGREE WITH HONOURS

in

MATHEMATICS



Sridev Suman Uttarakhand University
Badshahi Thaul (Tehri Garhwal) Uttarakhand -249199
(State University of Uttarakhand)

2023

Syllabus of

BACHELOR'S DEGREE

(First Three Years of Higher Education)

and

BACHELOR'S DEGREE WITH HONOURS

(First Four Years of Higher Education)

in

MATHEMATICS

(Revised in Board of Studies on July 11, 2023)




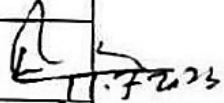





Curriculum Design Committee, Uttarakhand

S. No.	Name & Designation	
1.	Prof. N.K. Joshi Vice-Chancellor, Sridev Suman Uttarakhand University, Badshahi Thaul, Tehri Garhwal, Uttarakhand	Chairman
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3.	Prof. O.P.S. Negi Vice-Chancellor, Uttarakhand Open University	Member
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6.	Prof. M.S.M. Rawat Advisor, Rashtriya Uchchatar Shiksha Abhiyan, Uttarakhand	Member
7.	Prof. K.D. Purohit Advisor Rashtriya Uchchatar Shiksha Abhiyan, Uttarakhand	Member

**Sridev Suman Uttarakhand University
Badshahi Thaul, Tehri Garhwal (Uttarakhand)**

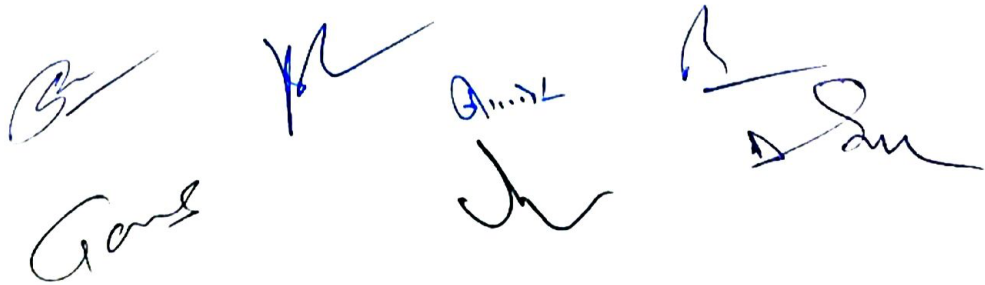
Department of Mathematics

Members of Board of Studies

S.N.	Name	Designation	Department	Board of Studies	Signature
1.	Prof. G. K. Dhingra	Dean Faculty of Science Pt. L.M.S. Campus Sridev Suman Uttarakhand University Rishikesh	Faculty of Science	Chairman	
2.	Director	Uttarakhand Science Education and Research Council	USERC	Member	
3.	Prof. K.S. Rawat	Professor and Head Department of Mathematics H.N.B. Garhwal Central University S.R.T. Campus, Tehri Garhwal, Uttarakhand	Mathematics	Member (External Expert)	 11.07.23
4.	Prof. Pushpa Negi	Principal Govt. P.G.College New Tehri	Higher Education	Member	
5.	Prof. Pankaj Pant	Principal, Govt. P.G.College Nagnath Pokhari	Higher Education	Member	 11.7.23
4.	Prof. Kuldeep Singh Negi	Principal, Govt. P.G. College, Khanpur(Haridwar)	Higher Education	Member	 11.7.23
5.	Prof. Anita Tomar	Professor & Head, Department of Mathematics Pt. L.M.S. Campus, Sridev Suman Uttarakhand University Rishikesh	Mathematics	Member	
6.	Prof. Dipa Sharma	Professor Department of Mathematics Pt. L.M.S. Campus, Sridev Suman Uttarakhand University Rishikesh	Mathematics	Member	
7.	Dr. Gaurav Varshney	Associate Professor, Department of Mathematics Pt. L.M.S. Campus, Sridev Suman Uttarakhand University Rishikesh	Mathematics	Member	
8	Dr. Dharendra Singh	Assistant Professor, Department of Mathematics Pt. L.M.S. Campus, Sridev Suman Uttarakhand University Rishikesh	Mathematics	Member	

Syllabus Preparation Committee

S. No.	Name	Designation	Department	Affiliation
1.	Prof. Anita Tomar	Professor & Head	Mathematics	Pt. L.M.S. Campus, Sridev Suman Uttarakhand University Rishikesh
2.	Prof. Dipa Sharma	Professor	Mathematics	Pt. L.M.S. Campus, Sridev Suman Uttarakhand University Rishikesh
3.	Dr. Gaurav Varshney	Associate Professor	Mathematics	Pt. L.M.S. Campus, Sridev Suman Uttarakhand University Rishikesh
4.	Dr. Dharendra Singh	Assistant Professor	Mathematics	Pt. L.M.S. Campus, Sridev Suman Uttarakhand University Rishikesh
5.	Dr. Sudhir Petwal	Assistant Professor	Mathematics	A.P.B Govt. (P.G.) College Agastyamuni
6.	Dr. Deepak Singh	Assistant Professor	Mathematics	B.L.J. Govt. (P.G.) College Purola, Uttarkashi



SEMESTER WISE COURSES IN UG MATHEMATICS PROGRAMS					
YEAR	SEMESTER	COURSE CODE	PAPER TITLE	THEORY/ PRACTICAL	CREDIT
CERTIFICATE COURSE IN MATHEMATICS					
FIRST YEAR	I	UGMAT101T	Matrices, Trigonometry and Differential Calculus	THEORY	4
		UGMAT102P	Practical	PRACTICAL	2
	II	UGMAT201T	Integral Calculus and Vector Analysis	THEORY	6
DIPLOMA IN MATHEMATICS					
SECOND YEAR	III	UGMAT301T	Abstract Algebra: Part A - Group Theory Part B - Ring Theory	THEORY	6
	IV	UGMAT401T	Differential Equations: Part A - Ordinary Differential Equations Part B - Partial Differential Equations	THEORY	6
DEGREE IN MATHEMATICS					
THIRD YEAR	V	UGMAT501T	Analysis: Part A - Real Analysis Part B - Complex Analysis	THEORY	5
		UGMAT502T UGMAT503T UGMAT504T UGMAT505T UGMAT506T UGMAT507T	Any one of the following- (i) Mathematical Methods (ii) Number Theory and Relativity (iii) Analytical Geometry (iv) Numerical Analysis (v) Graph Theory (vi) Mechanics	THEORY	5
		UGMAT601T	Linear Programming Problem	THEORY	5
	VI	UGMAT602T	Linear Algebra	THEORY	5
	HONOURS DEGREE IN MATHEMATICS				
FOURTH YEAR	VII	MTH101	Discrete Mathematics	THEORY	5
		MTH102	Abstract Algebra	THEORY	5
		MTH103	Real Analysis	THEORY	5
		MTH104	Differential Geometry and Tensor Calculus	THEORY	5
		MTH105	Research Project	PROJECT	4
	VIII	MTH201	Linear Algebra	THEORY	5
		MTH202	Complex Analysis	THEORY	5
		MTH203	Differential Equations	THEORY	5
		MTH204	Operations Research I	THEORY	5
		MTH205	Research Project	PROJECT	4
MINOR/ADDITIONAL/INTERDISCIPLINARY / MULTIDISCIPLINARY COURSE IN MATHEMATICS					
FIRST YEAR	I/II	MEC01	Probability	THEORY	4
SECOND YEAR	III/IV	MEC02	Financial Mathematics	THEORY	4
FOURTH YEAR	VII/ VIII	MEC03	Research Methodology	THEORY	4

PROPOSED STRUCTURE OF UNDERGRADUATE MATHEMATICS SYLLABUS

AS PER NEP 2020 GUIDELINES GENERAL OVERVIEW

Graduation – 1 st Year										
PROGRAMME	YEAR	SEMESTER (15 Weeks)	PAPER	CREDIT	PERIODS Per Week	PERIODS (HOURS) Per Semester	PAPER TITLE	UNIT (Periods Per Semester)	PREREQUISITE	ELECTIVE (For students of other subject groups who have studied Mathematics in 12 th Standard)
CERTIFICATE COURSE IN MATHEMATICS	FIRST YEAR	SEMESTER – I	Paper-1	4	4	4x15=60	Matrices, Trigonometry and Differential Calculus Part A: Matrices Part B: Trigonometry Part C: Differential Calculus	Part A Unit I (8) Unit II (7) Unit III (5) Part B Unit IV (6) Unit V (6) Part C Unit VI (7) Unit VII (6) Unit VIII (8) Unit IX (7)	Mathematics in 12 th	Engineering and Technology (UG), Biochemistry Chemistry/ Sciences (UG), Economics (UG/PG), Commerce(UG), BBA/ BCA, B.Sc. (C.S.)
			Paper-2 Practical	2	2 Lab Periods (2 Hours Each)	2x2x15=60	Practical (Practical to be done using Mathematica/ MATLAB / Maple/ Scilab /Maxima etc.)		Mathematics in 12 th	Engineering and Technology (UG), B.Sc. (C.S.)
		SEMESTER – II	Paper-1	6	6	15x6=90	Integral Calculus and Vector Analysis Part A: Integral Calculus Part B: Vector Analysis	Part A Unit I (12) Unit II (11) Unit III (12) Unit IV (11) Part B Unit V (11) Unit VI (12) Unit VII (11) Unit VIII (10)	Mathematics in 12 th	Engineering and Technology (UG), B.Sc. (C.S.)

Four handwritten signatures in blue ink are located at the bottom of the page. From left to right, they appear to be: a signature starting with 'G', a signature starting with 'M', a signature starting with 'A', and a signature starting with 'S'.

Graduation- 2nd Year

PROGRAMME	YEAR	SEMESTER (15 Weeks)	PAPER	CREDIT	PERIODS Per Week	PERIODS (HOURS) Per Semester	PAPER TITLE	UNIT (Periods Per Semester)	PREREQUISITE	ELECTIVE (For students of other subject groups who have studied Mathematics in 12 th Standard)
DIPLOMA IN MATHEMATICS	SECOND YEAR	SEMESTER – III	Paper-1	6	6	6x15=90	Abstract Algebra Part A: Group Theory Part B: Ring Theory	Part A Unit I (12) Unit II (20) Unit III (13) Part B Unit IV (11) Unit V (12) Unit VI (12) Unit VII (10)	Certificate Course in Mathematics	Engineering and Technology (UG), B.Sc. (C.S.)
		SEMESTER – IV	Paper-1	6	6	6x15=90	Differential Equations Part A: ODE Part B: PDE	Part A Unit I (12) Unit II (11) Unit III (11) Unit IV (11) Part B Unit V (11) Unit VI (10) Unit VII (12) Unit VIII (12)	Certificate Course in Mathematics	Economics (UG/PG), B.Sc. (C.S.) Engineering and Technology (UG), Science (Physics-UG)



Graduation- 3rd Year

PROGRAMME	YEAR	SEMESTER (15 Weeks)	PAPER	CREDIT	PERIODS (Per Week)	PERIODS (HOURS) Per Semester	PAPER TITLE	UNIT (Periods Per Semester)	PREREQUISITE	ELECTIVE (For students of other subject groups who have studied Mathematics in 12 th Standard)
DEGREE IN MATHEMATICS	THIRD YEAR	SEMESTER-V	Paper-1	5	5	5x15=75	Analysis Part A: Real Analysis Part B: Complex Analysis	Part A Unit I (12) Unit II (11) Unit III (11) Unit IV (11) Part B Unit V (11) Unit VI (10) Unit VII (12) Unit VII (12)	Diploma in Mathematics	Engineering and Technology(UG), Economics (UG/PG), B.Sc.(C.S.)
			Paper-2	5	5	5x15= 75	Any one of the following- <ul style="list-style-type: none"> • Mathematical Methods • Number Theory and Relativity • Analytical Geometry • Numerical Analysis • Graph Theory • Mechanics 	Unit I (15) Unit II (20) Unit III (20) Unit IV (20)	Diploma in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
		SEMESTER-VI	Paper-1	5	5	5x15= 75	Linear Programming Problems	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	Diploma in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
			Paper-2	5	5	5x15= 75	Linear Algebra	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	Diploma in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)



Graduation- 4 th Year										
PROGRAMME	YEAR	SEMESTER (15Weeks)	PAPER	CREDIT	PERIODS (Per Week)	PERIODS (HOURS) Per Semester	PAPER TITLE	UNIT (Periods Per Semester)	PREREQUISITE	ELECTIVE (For students of other subject groups who have studied Mathematics in Degree/Graduation)
HONOURS DEGREE IN MATHEMATICS	FOURTH YEAR	SEMESTER-VII	Paper-I	5	5	5x15= 75	Discrete Mathematics	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
			Paper-II	5	5	5x15= 75	Abstract Algebra	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
			Paper-III	5	5	5x15= 75	Real analysis	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
			Paper-IV	5	5	5x15= 75	Differential Geometry & Tensor Calculus	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
			Paper-V	4	4	---	Research Project	---	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
		SEMESTER-VIII	Paper-I	5	5	5x15= 75	Linear Algebra	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
			Paper-II	5	5	5x15= 75	Complex Analysis	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
			Paper-III	5	5	5x15= 75	Differential Equations	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
			Paper-IV	5	5	5x15= 75	Operations Research I	Unit I (20) Unit II (20) Unit III (20) Unit IV (15)	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)
			Paper-V	4	4	---	Research Project	---	DEGREE in Mathematics	Engineering and Technology (UG), BCA, B.Sc.(C.S.)

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Programme Outcome/Programme Specific Outcome

Programme Outcome:

- **PO1:** It is to give in-depth knowledge of geometry, algebra, calculus, differential equations, and several other branches of pure and applied mathematics. This also leads to study the related areas such as computer science and other allied subjects.
- **PO2:** The skills and knowledge gained in this program will be helpful for modeling and solving real life problems.
- **PO3:** Students will become employable in various government and private sectors.
- **PO4:** The completing this programme develop enhanced quantitative skills and pursuing higher mathematics and research as well.
- **PO5:** The completion of this programme will enable the learner to use appropriate digital programmes and software to solve various mathematical problems.

Programme Specific Outcome:

- **PSO1:** Student will be able to think in a critical manner and develop problem solving skills.
- **PSO2:** Students will be able to recall basic facts about mathematics and display knowledge of conventions such as notations, terminology etc.
- **PSO3:** Students will be able to formulate and develop mathematical arguments in a logical manner.
- **PSO4:** Students will be motivated and prepare for research studies in mathematics and related fields.
- **PSO5:** Student will be able to apply their skills and knowledge in various fields of studies including science, engineering, commerce, and management etc.



Handwritten signatures in blue and black ink, including the name 'Gand' and other illegible signatures.

Detailed Syllabus

For

CERTIFICATE

COURSE IN

MATHEMATICS

GRADUATION-1st Year
(Semester-I & II)

GRADUATION-1st Year (SEMESTER-I)
PAPER-I: Matrices, Trigonometry and Differential Calculus

Programme: CERTIFICATE COURSE IN MATHEMATICS		Year: First	Semester: First
Subject: Mathematics			
Course Code: UGMAT101T		Course Title: Matrices, Trigonometry and Differential Calculus	
Course outcomes:			
CO1: The programme outcome is to give foundation knowledge for the students to understand basics of mathematics including applied aspect for developing enhanced quantitative skills and pursuing higher mathematics and research as well.			
CO2: By the time students complete the course they will have wide ranging application of the subject and have the knowledge of matrices and basics of differentiation.			
CO3: The student will be able to sum the trigonometric series of real and complex numbers and separate the trigonometric function in form of $A+iB$.			
CO4: The main objective of the course is to equip the student with necessary analytic and technical skills. By applying the principles of differentiation, he learns to solve a variety of practical problems in science and engineering.			
CO5: The student is equipped with standard concepts and tools at an intermediate to advance level that will serve him well towards taking more advance level course in mathematics.			
Credits: 4		Core Compulsory / Elective	
Max. Marks: 25 + 75		Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials – Practical (in hours per week): L-T-P: (4-0-0)			
Part-A: Matrices			
Unit	Topics	No. of Lectures	
I	Matrix introduction, matrix operations with their properties, symmetric, skew-symmetric, Hermitian, and skew-Hermitian matrices, idempotent, nilpotent, involuntary, orthogonal, and unitary matrices, singular and non-singular matrices, elementary operations on matrices, adjoint and inverse of a matrix, singular and non-singular matrices, negative integral powers of a non-singular matrix, Trace of a matrix.	8	
II	Rank of a matrix, elementary transformations of a matrix and invariance of rank through elementary transformations, normal form of a matrix, elementary matrices, rank of the sum and product of two matrices, inverse of a non-singular matrix through elementary row transformations, equivalence of matrices.	7	
III	Solutions of a system of linear equations, condition of consistency and nature of the general solution of a system of linear non-homogeneous equations.	5	
Part-B: Trigonometry			
Unit	Topics	No. of Lectures	
IV	Trigonometric or circular and hyperbolic function of complex variable together with their inverses, De Moivre's Theorem and its applications, Euler's theorem, relation between trigonometric and hyperbolic function, Exponential function of a complex variable, Logarithms of complex variable, Properties of logarithmic function, Separation into real and imaginary parts	6	
V	Gregory's series, Value of π by different series, Summation of Trigonometric series by C+iS method based on Arithmetic Progression, Geometric Progression, Logarithms and Binomial expansions, Summation of Trigonometric series by difference method.	6	
Part-C: Differential Calculus			
Unit	Topics	No. of Lectures	
VI	Functions of one variable, Limit of a function (ϵ - δ Definition), Continuity of a function, Properties of continuous functions, Intermediate value theorem, Classification of discontinuities, Differentiability of a function, Jacobians, maxima and minima of single variable function, Rolle's Theorem, Mean value theorems and their geometrical interpretations, Applications of mean value theorems.	7	
VII	Successive Differentiation, n^{th} Differential coefficient of functions, Leibnitz Theorem, Taylor's Theorem, Maclaurin's Theorem, Taylor's, and Maclaurin's series expansions.	6	
VIII	Geometrical meaning of tangent, Definition and equation of Tangent, Tangent at origin, Angle of intersection of two curves, Definition and equation of Normal, Cartesian sub tangent and subnormal, Tangents and normal of polar curves, Angle between radius vector and tangent, Perpendicular from pole to tangent, Pedal equation of curve, Polar sub tangent and polar subnormal, Derivatives of arc (Cartesian and polar formula).	8	
IX	Curvature, Radius of curvature, Cartesian, Polar and pedal formula for radius of curvature, Tangential polar form, Centre of curvature, Asymptotes of algebraic curves, Methods of finding asymptotes, Parallel asymptotes, existence and classification of singular points, points of inflection.	7	



Suggested Readings (PART-A Matrices):

1. Hari Kishan, A Textbook of Matrices, Atlantic Publishers, 2008
2. Fuzhen Zhang, Matrix Theory- Basic Results and Techniques, Springer, 1999
3. Shanti Narayan, P.K. Mittal, A Textbook of Matrices, S Chand & Company, 2010
4. Suggested digital platform: NPTEL/SWAYAM/MOOCs

Suggested Readings (PART-B Trigonometry):

1. Margaret L. Lial, John Hornsby, David I. Schneider, Trigonometry, Addison-Wesley, 2001
2. Robert Moyer, Frank Aryes, Schaum's Outline of trigonometry, 2012
3. I. M. Gelfand, Mark Saul, Trigonometry, Birkhäuser; 2001st edition (June 8, 2001)
4. Suggested digital platform: NPTEL/SWAYAM/MOOCs

Suggested Readings (Part- C Differential Calculus):

1. R.G. Bartle & D.R. Sherbert, Introduction to Real Analysis, John Wiley & Sons, 1999
2. T.M. Apostol, Calculus Vol. I, John Wiley & Sons Inc., 1974
3. Ajit Kumar and S. Kumaresan, A Basic Course in Real Analysis, CRC Press, 2019
4. S. Balachandra Rao & C. K. Shantha, Differential Calculus, New Age Publication. 1992
5. H. Anton, I. Birens and S. Davis, Calculus, John Wiley and Sons, Inc. 2007
6. G.B. Thomas and R.L. Finney, Calculus, Pearson Education, 2010
7. Suggested digital platform: NPTEL/SWAYAM/MOOCs

This course can be opted as an elective by the students of following subjects: Engineering and Technology(UG), Chemistry/ Biochemistry/ Life Sciences (UG), Economics (UG/PG), Commerce (UG), BBA/ BCA, B.Sc. (C.S.)

Suggested Continuous Evaluation Methods: Max. Marks: 25

S.N.	Assessment Type	Max. Marks
1	Class Tests	10
2	Online Quizzes/Objective Tests/ Presentation	5
3	Attendance	5
4	Assignment	5

Course prerequisites: To study this course a student must have studied Mathematics in class 12th.

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GRADUATION – 1st Year (SEMESTER-I)

Paper-II - **Practical**

Programme: CERTIFICATE COURSE IN MATHEMATICS		Year: First	Semester: First
Subject: Mathematics			
Course Code: UGMAT102P		Course Title: Practical	
Course outcomes:			
CO1: The main objective of the course is to make familiar the student with different computer software such as Mathematica /MATLAB /Maple /Scilab/Maxima etc.			
CO2. The students will be able to compute various operations on matrices by using different computer software such as Mathematica /MATLAB /Maple/Scilab/Maxima etc.			
CO2. The students will also be able to compute n^{th} derivative of various functions by using different computer software.			
Credits: 2		Core Compulsory/Elective	
Max. Marks: 25+75		Min. Passing Marks: As per University norms	
Total No. of Lectures – Tutorials – Practical (in hours per week): L-T-P: (0-0-4)			
Course Title: Practical			
Unit	Topics		No. of Lectures
	Practical / Lab work to be performed in Computer Lab. List of the practical to be done using R/Python/Mathematica/MATLAB/Maple/Scilab/Maxima etc. 1. Introduction to the software and commands related to the topic. 2. Computation of addition and subtraction of matrices, 3. Computation of multiplication of matrices. 4. Computation of Trace and Transpose of Matrix. 5. Computation of Rank of matrix. 6. Computation of Inverse of a Matrix. 7. Solving the system of homogeneous and non-homogeneous linear algebraic equations. 8. Finding the n^{th} Derivative of e^{ax} , trigonometric and hyperbolic functions. 9. Finding the n^{th} Derivative of algebraic and logarithmic functions. 10. Finding the n^{th} Derivative of $e^{ax}\sin(bx + c)$, $e^{ax}\cos(bx + c)$. 11. Finding the Taylor's and Maclaurin's expansions of the given functions.		60
Suggested Readings:			
This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), B.Sc. (C.S.)			
Suggested Continuous Evaluation Methods: Max. Marks: 25			
S.No.	Assessment Type		Max. Marks
1	Class Tests		10
2	Online Quizzes/Objective Tests/ Presentation		5
3	Attendance		5
4	Assignment		5
Course prerequisites: To study this course a student must have subject Mathematics in class 12 th .			



GRADUATION-1st Year (SEMESTER-II)
PAPER-I: Integral calculus and Vector Analysis

Programme: CERTIFICATE COURSE IN MATHEMATICS	Year: First	Semester: Second
Subject: Mathematics		
Course Code: UGMAT201T	Course Title: Integral calculus and Vector Analysis	
Course outcomes:		
<p>CO1: The Programme outcome is to give foundation knowledge for the students to understand basics of mathematics including applied aspect for developing enhanced quantitative skills and pursuing higher mathematics and research as well.</p> <p>CO2: By the time students complete the course they will have wide ranging application of the subject and have the knowledge of surface area and volume of shapes.</p> <p>CO3: The main objective of the course is to equip the student with necessary analytic and technical skills. By applying the principles of integral he learns to solve a variety of practical problems in science and engineering.</p> <p>CO4: The student is equipped with standard concepts and tools at an intermediate to advance level that will serve him well towards taking more advance level course in mathematics.</p>		
Credits: 6	Core Compulsory/Elective	
Max. Marks: 25+75	Min. Passing Marks: As per University norms	
Total No. of Lectures – Tutorials – Practical (in hours per week): L-T-P: (6-0-0)		

PART-A: Integral Calculus		
Unit	Topics	No of Lectures
I	Integral as a limit of sum, Properties of Definite integrals, Fundamental theorem of integral calculus, Summation of series by integration, Infinite integrals, Differentiation, and integration under the integral sign.	12
II	Beta function, Properties and various forms, Gamma function, Recurrence formula and other relations, Relation between Beta and Gamma function, Evaluation of integrals using Beta and Gamma functions.	11
III	Double integrals, Repeated integrals, Evaluation of Double integrals, Double integral in polar coordinates, change of variables, Change of order of integration in Double integrals, Triple integrals, Evaluation of Triple integrals, Dirichlet's theorem and its Liouville's extension.	12
IV	Area bounded by curves (quadrature), Rectification (length of curves), Volumes and Surfaces of Solids of revolution.	11

PART- B: Vector Analysis		
Unit	Topics	No. of Lectures
V	Triple product, Reciprocal vectors, Product of four vectors, General equation of a Plane, Normal and Intercept forms, Two sides of a plane, Length of perpendicular from a point to a plane, Angle between two planes, System of planes.	11
VI	Direction Cosines and Direction ratios of a line, Projection on a straight line, Equation of a line, Symmetrical and unsymmetrical forms, Angle between a line and a plane, Coplanar lines, Lines of shortest distance, Length of perpendicular from a point to a line, Intersection of three planes, Transformation of coordinates.	12
VII	Ordinary differentiation of vectors, Velocity and Acceleration, Differential operator-Del, Gradient, Divergence and Curl.	11
VIII	Line, Surface and volume integrals, Simple applications of Gauss divergence theorem, Green's theorem and Stokes theorem (without proof).	10






Suggested Readings (Part- A Integral Calculus):

1. T.M. Apostol, Calculus Vol. I, John Wiley & Sons Inc., 1974
2. H. Anton, I. Birens and S. Davis, Calculus, John Wiley and Sons, Inc. 2007
3. G.B. Thomas and R.L. Finney, Calculus, Pearson Education, 2010
4. Suggested digital platform: NPTEL/SWAYAM/MOOCs

Suggested Readings (Part- B Vector Analysis):

1. Murray R. Spiegel: Vector Analysis, Schaum's Outline Series, McGraw Hill.
2. N. Saran and S. N. Nigam: Introduction to Vector Analysis, Pothishala Pvt. Ltd. Allahabad.
3. Suggested digital platform: NPTEL/SWAYAM/MOOCs

This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), B.Sc. (C.S.)

Suggested Continuous Evaluation Methods: Max. Marks: 25

S.No.	Assessment Type	Max. Marks
1	Class Tests	10
2	Online Quizzes/Objective Tests/ Presentation	5
3	Attendance	5
4	Assignment	5

Course prerequisites: To study this course a student must have studied Mathematics in class 12th.

The image shows four handwritten signatures in blue ink. The signatures are arranged in two rows. The top row contains three signatures: a stylized 'G', a signature that appears to be 'K', and a signature that appears to be 'Amit'. The bottom row contains two signatures: a signature that appears to be 'Gand' and a signature that appears to be 'J'. The signatures are written in a cursive, flowing style.

Detailed Syllabus

For

DIPLOMA

IN


MATHEMATICS

GRADUATION- 2nd Year

(Semester: III and IV)

GRADUATION-2nd Year (SEMESTER-III)
PAPER-I: Abstract Algebra

Programme: DIPLOMA IN MATHEMATICS		Year: Second	Semester: Third
Subject: Mathematics			
Course Code: UGMAT301T		Course Title: Abstract Algebra	
Course outcomes:			
CO1: Understanding of abstract algebraic structures: Students will gain a strong understanding of groups, rings, and fields, including their definitions, properties, and examples.			
CO2: Proficiency in proof techniques: Students will develop the ability to construct rigorous proofs using various techniques specific to abstract algebra.			
CO3: Application of abstract algebra in problem-solving: Students will apply abstract algebraic concepts to solve problems in different mathematical contexts, such as symmetry, isomorphism, factorization, and polynomial rings.			
Credits: 6		Core Compulsory / Elective	
Max. Marks: 25+75		Min. Passing Marks: As per University norms	
Total No. of Lectures - Tutorials-Practical (in hours per week): L-T-P: (6-0-0)			
Part A: Group Theory			
Unit	Topics		No. of Lectures
I	Cartesian product of Sets, Functions or mappings, Binary operations, Relation, Equivalence relations and partitions, Congruence Modulo n, Definition of a group with examples and simple properties, Abelian group, Finite and infinite group, Order of a finite group, General properties of groups, Composition table for finite groups		12
II	An Alternative set of postulates of groups, Subgroups, Permutations, Cyclic Permutations, Even and odd permutations, group of Permutations alternating group, Integral power of an element of a group, Order of an element of a group, Group homomorphism, Isomorphism on groups, the relation of isomorphism in the set of all groups Complexes and subgroup of a group, theorems on subgroups, Coset decomposition, Lagrange's theorem and its consequences, Cayley's theorem, Cyclic group, generating system of group.		20
III	Normal subgroups, Simple group, Conjugate elements, Normalizer of an element of a group, Class equation of a group, Centre of a group, Conjugate subgroups, Invariant subgroups, Quotient group, Homomorphism, Kernel of a Homomorphism and related theorems and Isomorphism on groups.		13
Part-B: Ring Theory			
Unit	Topics		No. of Lectures
IV	Rings, Various types of rings, Rings with unity, Rings without zero divisors, Properties of rings, Sub rings, Ideals, Quotient rings, Principal ideals, Maximal ideals, Prime ideals, Principal ideal domains, Characteristic of a ring.		20
V	Integral domain, Field, Skew field etc., Field of quotients of an integral domain, Embedding of an integral domain in a field, Factorization in an integral domain, Divisibility, Units, Associates, Prime and irreducible elements, Unique Factorization Domain, Euclidean rings.		12
VI	Polynomials over a ring, Degree of a polynomial, Zero, Constant and monic polynomials, Equality of polynomials, Addition and multiplication of polynomials, Polynomial rings, Embedding of a ring R into $R[x]$, Division algorithm, Euclidean algorithm, Units and associates in polynomials, Irreducible polynomials.		13
Suggested Readings:			
<ol style="list-style-type: none"> 1. Dummit and Foote, Abstract Algebra, 3rd Edition, 2003. 2. J. B. Fraleigh, A first course in Abstract Algebra, Addison-Wiley, 2003 3. I. N. Herstein, Topics in Algebra, John Wiley & Sons, 2006 4. Thomas W Hungerford, Abstract Algebra—An Introduction, Saunders College Publishing, 1990 5. Joseph A Gallian, Contemporary Abstract Algebra, Brooks/Cole Cengage Learning, 2016 6. V. K. Khanna and S. K. Bhambri, A course in Abstract Algebra, Vikas Publishing House Pvt (Ltd), 2014. 7. Suggested digital platform: NPTEL/SWAYAM/MOOCs. 			
Suggested Continuous Evaluation Methods: Max. Marks:25			
S.No.	Assessment Type		Max. Marks
1	Class Tests		10
2	Online Quizzes/Objective Tests/ Presentation		5
3	Attendance		5
4	Assignment		5
Course prerequisites: To study this course, a student must have Certificate Course in Mathematics.			



GRADUATION-2nd Year (SEMESTER-IV)

PAPER-I: Differential Equations

Programme: DIPLOMA IN MATHEMATICS		Year: Second	Semester: Fourth
Subject: Mathematics			
Course Code: UGMAT401T		Course Title: Differential Equations	
Course outcomes:			
<p>CO1: The objective of this course is to familiarize the students with various methods of solving differential equations of first and second order and to have qualitative applications.</p> <p>CO2: A student doing this course can solve differential equations and is able to model problems in nature using ordinary differential equations. After completing this course, a student will be able to take more courses on wave equation, heat equation, diffusion equation, gas dynamics, nonlinear evolution equation etc.</p>			
Credits: 6		Core Compulsory/Elective	
Max. Marks: 25+75		Min. Passing Marks: As per University norms	
Total No. of Lectures - Tutorials-Practical (in hours per week): L-T-P: (6-0-0)			
Unit	Topics		No. of Lectures
Part A: Ordinary Differential Equations			
I	Introduction of Differential equations, Order and Degree of Differential Equations, Complete primitive (general solution, particular solution, and singular solutions), Existence and uniqueness of the solution $dy/dx = f(x,y)$. Differential equations of first order and first degree, Separation of variables, Homogeneous linear Equations, Exact Equations, Integrating Factor, Equation of First order but not of first degree, Various methods of solution, Clairaut's form, Singular solutions, Trajectory, Orthogonal Trajectory, Self-Orthogonal family of Curves.		30
II	Linear differential equations with constant coefficients, Complementary function, Particular integral, Working rule for finding solution of linear differential equations with constant coefficients, Homogeneous linear equations or Cauchy-Euler equations, Differential equations of the form $dx/P = dy/Q = dz/R$ where P, Q, R are functions of x, y, z. Exact differential equations, Total differential equations, Series solutions of differential equations, Linear differential equations of second order with variable coefficients, Initial and boundary value problems.		30
Part A: Partial Differential Equations			
III	Partial differential equations of first order, Charpit's method, Linear partial differential equations with constant coefficients. First-order linear, quasi-linear and non-linear PDE's using the method of characteristics: explicit solutions.		15
IV	Partial differential equations of 2nd-order: Classification of 2nd-order linear equations in two independent variables: hyperbolic, parabolic and elliptic types (with examples).		15
Suggested Readings (Part-A Differential Equations):			
<ol style="list-style-type: none"> 1. G.F. Simmons, Differential Equations with Application and Historical Notes, Tata –McGraw Hill, 2002 2. B. Rai, D.P. Choudhary & H. J. Freedman, A Course of Ordinary Differential Equations, Narosa, 2002 3. Ian N. Snedden, Elements of Partial Differential Equations, Dover Publication, 2013 4. L.E. Elsgolts, Differential Equation and Calculus of variations, University Press of the Pacific. 1970 5. M. D. Raisinghania, Ordinary and Partial Differential Equations, S Chand, 2018. 6. K Sankar Rao: Partial Differential Equations, PHI 7. Suggested digital platform: NPTEL/SWAYAM/MOOCs 			
This course can be opted as an elective by the students of following subjects: Economics (UG/PG), B.Sc. (C.S.) Engineering and Technology (UG), Science (Physics-UG)			
Suggested Continuous Evaluation Methods: Max. Marks:25			
S.No.	Assessment Type		Max. Marks
1	Class Tests		10
2	Online Quizzes/Objective Tests/ Presentation		5
3	Attendance		5
4	Assignment		5
Course prerequisites: To study this course, a student must have Certificate Course in Mathematics.			

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Detailed Syllabus

For

DEGREE

IN

MATHEMATICS

GRADUATION-3rd Year

(Semester- V and VI)

GRADUATION- 3rd Year (SEMESTER-V)

PAPER-I: **Analysis**

Programme: DEGREE IN MATHEMATICS		Year: Third	Semester: Fifth
Subject: Mathematics			
Course Code: UGMAT501T		Course Title: Analysis	
Course outcomes:			
CO1: Students will be able to know the basic concepts and developments of real analysis which will prepare the students to take up further applications in therelevant fields.			
CO2: On successful completion of the course students should have knowledge about real analysis and that will help them in going for higher studies and research.			
CO3: The course is aimed at exposing the students to foundations of analysis which will be useful in understanding various physical phenomena and gives thestudent the foundation in mathematics.			
CO4: Upon successful completion, students will be able to understand the complex variables, analytic functions, complex integration, and residues.			
Credits: 5		Core Compulsory / Elective	
Max. Marks: 25+75		Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (5-0-0)			
Unit	Topics		No. of Lectures
Part A: Real Analysis			
I	Continuity and Differentiability of functions: Continuity of functions, Uniform continuity, Differentiability, Taylor's theoremwith various forms of remainders, Riemann integral-definition and properties, integrability of continuous and monotonic functions, Fundamentaltheorem of integral calculus, Mean value theorems of integral calculus.		15
II	Sequene and Series: Sequences, theorems on limit of sequences, Cauchy's convergence criterion, infinite series, series of non- negative terms, Absolute convergence, tests for convergence, comparison test, Cauchy's root Test, ratio Test, Rabbe's, Logarithmic test, De Morgan's Test, Alternating series, Leibnitz's theorem, Improper Integrals: Improper integrals and their convergence, Comparison test, Dirichlet's test, Absolute and uniform convergence, Weierstrass M-Test, Infinite integral depending on a parameter. Uniform Convergence: Point wise convergence, Uniform convergence, Test of uniform convergence, Weierstrass M-Test, Abel's and Dirichlet's test, Convergence and uniform convergence of sequences and series of functions.		30
Part A: Complex Analysis			
III	Complex Variables: Functions of a complex variable, Limit, continuity and differentiability, Analytic functions, Cauchy and Riemann equations, Harmonic functions.		15
IV	Complex Integration: Complex integrals, Cauchy's theorem, Cauchy's integral formula, Morera's Theorem, Liouville's Theorem, Taylor's series, Laurent's series, Poles and singularities, Residues, the Residue theorem, the principal part of a function, Evaluation of Improper real integrals.		15

Suggested Readings (Part-A Real Analysis and Complex Analysis):

1. Walter Rudin: Principle of Mathematical Analysis (3rd edition) McGraw-Hill Kogakusha, 1976, International Student Edition.
2. K. Knopp: Theory and Application of Infinite Series.
3. T. M. Apostol: Mathematical Analysis, Narosa Publishing House, New Delhi, 1985.
4. S. C. Malik and Savita Arora, Mathematical Analysis , New Age International Pvt. (Ltd), 2012.
5. J. B. Conway: Functions of One Complex Variable, Narosa Publishing House, 1980.
6. E. T. Copson: Complex Variables, Oxford University Press.
7. L. V. Ahlfors: Complex Analysis, McGraw-Hill, 1977.
8. D. Sarason: Complex Function Theory, Hindustan Book Agency, Delhi, 1994..
9. Suggested digital platform: NPTEL/SWAYAM/MOOCs

This course can be opted as an elective by the students of following subjects: Engg. And Tech.(UG), Economics (UG/PG), B.Sc.(C.S.)

Suggested Continuous Evaluation Methods: Max. Marks: 25

S. No.	Assessment Type	Max. Marks
1	Class Tests	10
2	Online Quizzes/Objective Tests/ Presentation	5
3	Attendance	5
4	Assignment	5

Course prerequisites: To study this course, a student must have Diploma in Mathematics.

GRADUATION-3rd Year (SEMESTER-V)

PAPER-II: Mathematical Methods

Programme: DEGREE IN MATHEMATICS		Year: Third	Semester: Fifth
Subject: Mathematics			
Course Code: UGMAT502T		Course Title: Mathematical Methods	
Course outcomes:			
<p>CO1: The student will be able to find the integral transform, Laplace transform, inverse Laplace transform and Fourier transform. The course in mathematical methods basically develops a problem-solving skill in the students.</p> <p>CO2: Upon successful completion, students will have the knowledge of various types of graphs, their terminology, and applications.</p>			
Credits: 5		Core Compulsory / Elective	
Max. Marks: 25+75		Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (5-0-0)			
Course Title: Mathematical Methods			
Unit	Topics	No. of Lectures	
I	Laplace Transforms: Definition, Kernel, Definition, Existence theorem, Linearity property, Laplace transforms of elementary functions, Heaviside Step and Dirac Delta Functions, First Shifting Theorem, Second Shifting Theorem, Initial-Value Theorem, Final-Value Theorem, The Laplace Transform of derivatives, integrals, and Periodic functions.	25	
II	Inverse Laplace transforms: Inverse Laplace transforms of simple functions, Inverse Laplace transforms using partial fractions, Convolution, Solutions of differential and integro-differential equations using Laplace transforms. Dirichlet's condition,	25	
III	Fourier Transforms: Fourier Complex Transforms, Fourier sine and cosine transforms, Properties of Fourier Transforms, Inverse Fourier transforms.	10	
IV	Applications of Fourier transform to simple one-dimensional heat transfer equations, wave equations and Laplace equations, Z Transform, and its application to solve difference equations.	15	
Suggested Readings (Part-A Mathematical Methods):			
<ol style="list-style-type: none"> Murry R. Spiegel: Laplace Transform (SCHAUM Outline Series), McGraw-Hill. J. F. James: A student's guide to Fourier transforms, Cambridge University Press. Ronald N. Bracewell: The Fourier transforms and its applications, McGraw Hill. J. H. Davis: Methods of Applied Mathematics with a MATLAB Overview, Birkhäuser, Inc., Boston, MA, 2004. Suggested digital platform: NPTEL/SWAYAM/MOOCs 			
This course can be opted as an elective by the students of following subjects: Engg. and Tech.(UG), BCA, B.Sc.(C.S.)			
Suggested Continuous Evaluation Methods: Max. Marks: 25			
S. No.	Assessment Type	Max. Marks	
1	Class Tests	10	
2	Online Quizzes/Objective Tests/ Presentation	5	
3	Attendance	5	
4	Assignment	5	
Course prerequisites: To study this course, a student must have Diploma in Mathematics.			

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GRADUATION-3rd Year (SEMESTER-V)

PAPER-II: **Number Theory & Relativity**

Programme: DEGREE IN MATHEMATICS	Year: Third	Semester: Fifth
Subject: Mathematics		
Course Code: UGMAT503T	Course Title: Number Theory & Relativity	
Course outcomes:		
CO1: The student will be able to solve problems in elementary number theory and also apply elementary number theory to cryptography.		
CO2: Upon successful completion, students will be able to describe the basic concepts of the theory of relativity.		
CO3: After Successful completion of this course students will be able to discuss postulates of the special theory of relativity and their consequences.		
Credits: 5	Core Compulsory / Elective	
Max. Marks: 25+75	Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (5-0-0)		
PART-A: Number Theory		
Unit	Topics	No. of Lectures
I	Prime Numbers, Unique Factorization theorem, Farey series, Irrational numbers, Congruences, Residues, Quadratic Reciprocity Law, Primitive roots.	16
II	Fermat's theorem, Wilson's theorem, Continued fractions, Approximation of irrational numbers by rational numbers, Hurwitz theorem.	11
III	The fundamental theorem of arithmetic in $K(1)$, $K(i)$, $K(\rho)$, Diophantine equation $X^2 + Y^2 = Z^2$, $X^4 + Y^4 = Z^4$, $ax^2 + by^2 + cz^2 = 0$, Quadratic fields, the arithmetic functions: $d(n)$, $\sigma(n)$, $\mu(n)$ and $\varphi(n)$ including elementary result on their order and average order.	18
PART-B: Relativity		
Unit	Topics	No. of Lectures
IV	Special Relativity: Inertial Frames of reference, Michelson-Morley experiment, Doppler effect, Stellar aberration, Simultaneity, Postulates of special relativity, Lorentz transformation, Length contraction, Time dilation, Clock paradox, Addition of velocities and accelerations, Four-dimensional space time, Light cone, Mass variation, Velocity four vector, Momentum and force, Mass-Energy relationship.	18
V	General Relativity: Geodesics, Geodesic coordinates, Curvature tensor and its algebraic properties, Bianchi's identities, Contracted curvature tensor, Conditions for a flat space time, Displacement of space-time, Killing equations, Groups of motion, Space-time of constant curvature.	11
VI	Principal of covariance, non-inertial frames of reference, Principal of equivalence, Weak field approximation of geodesic equations, Law of gravitation in empty space-time, Canonical coordinates, Schwarzschild solutions.	16
Suggested Readings (Part-A Number Theory):		
<ol style="list-style-type: none"> 1. G. H. Hardy and E. M. Wright: Introduction to the theory of numbers, Oxford University Press, 4th Edition. 2. D. M. Burton: Elementary Number Theory, 6th Edition, Tata McGraw Hill. 3. Thomas Koshy: Elementary Number Theory with Applications, Academic Press, 2nd Edition. 4. Kenneth H. Rosen: Elementary Number Theory and its Applications, Addison-Wesley Publishing Company, 1986. 5. Suggested digital platform: NPTEL/SWAYAM/MOOCs 		
Suggested Readings (Part-B Relativity):		
<ol style="list-style-type: none"> 1. D. F. Lawden: An Introduction to tensor calculus and relativity. 2. J. V. Narlikar: General relativity and cosmology. 3. R. H. Good: Basic concept of relativity, 1978. 4. A. S. Eddington: Mathematical theory of relativity, 1981. 5. Suggested digital platform: NPTEL/SWAYAM/MOOCs 		
This course can be opted as an elective by the students of following subjects: Engineering and Technology (UG), BCA, B.Sc.(C.S.)		
Suggested Continuous Evaluation Methods: Max. Marks: 25		
S. No.	Assessment Type	Max. Marks
1	Class Tests	10
2	Online Quizzes/Objective Tests/ Presentation	5
3	Attendance	5
4	Assignment	5
Course prerequisites: To study this course, a student must have Diploma in Mathematics.		



GRADUATION – 3rd Year (SEMESTER-V)

PAPER-II: Analytical Geometry

Programme: DEGREE IN MATHEMATICS		Year: Third	Semester: Fifth
Subject: Mathematics			
Credits: 5		Core Compulsory / Elective	
Max. Marks: 25+75		Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (5-0-0)			
Course Code: UGMAT504T		Course Title: Analytical Geometry	
Unit	Topics	No. of Lectures	
I	Polar Equation of conics, Polar coordinate system, Distance between two points, Polar equation of a Straight line, Polar equation of a circle, Polar equation of a conic, Chords, Tangent and Normal to a conic.	15	
II	Curvilinear coordinates, Spherical and Cylindrical coordinates, Definition and equation of a sphere, Plane section of a sphere, Intersection of two spheres, Intersection of a sphere and a line, Power of a point, tangent plane, Plane of contact, Polar plane, Pole, Angle of Intersection of two spheres, Radical plane, Co-axial system of spheres.	25	
III	Definition and equation of a cone, Vertex, Guiding curve, Generators, Three mutually perpendicular generators, Intersection of a line with a cone, Tangent line and tangent plane, Reciprocal cone, right circular cone, Definition and equation of a cylinder, right circular cylinder, Enveloping cylinder.	20	
IV	General equation of second degree, Tangent plane, Director sphere, Normal, Plane of contact, Polar plane, Conjugate plane, and conjugate points.	15	
Suggested Readings Analytical Geometry):			
<ol style="list-style-type: none"> 1. Robert J.T Bell, An Elementary Treatise on Coordinate Geometry of three dimensions, Macmillan India Ltd., 1923 2. P.R. Vittal, Analytical Geometry 2d & 3D, Pearson, 2013 3. S.L. Loney, The Elements of Coordinate Geometry, McMillan and Company, London. 2018 4. Suggested digital platform: NPTEL/SWAYAM/MOOCs 			
This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), B.Sc. (C.S.)			
Suggested Continuous Evaluation Methods: Max. Marks: 25			
S.No.	Assessment Type	Max. Marks	
1	Class Tests	10	
2	Online Quizzes/Objective Tests/ Presentation	5	
3	Attendance	5	
4	Assignment	5	
Course prerequisites: To study this course, a student must have Certificate Course in Basic Mathematics.			

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GRADUATION- 3rd Year (SEMESTER-V)

PAPER-II: Numerical Analysis

Programme: DEGREE IN MATHEMATICS		Year: Third	Semester: Fifth
Subject: Mathematics			
Course Code: UGMAT505T		Course Title: Numerical Analysis	
Course outcomes:			
<p>CO1: After Successful completion of this course the student will be able to perform error analysis for arithmetic operations.</p> <p>CO2: Upon successful completion, students will be able to understand the use of interpolation and curve fitting and finite differences.</p> <p>CO3: After Successful completion of this course students will be able to use some solution methods for solving the linear programming problems.</p>			
Credits: 5		Core Compulsory / Elective	
Max. Marks: 25+75		Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (5-0-0)			
Course Title: Numerical Analysis			
Unit	Topics	No. of Lectures	
I	Errors in numerical Calculations: Absolute, Relative and Percentage errors, General Error, Error in series approximation.	10	
II	Solutions of Algebraic and Transcendental Equations: Bisection method, False position method, Newton-Raphson Method, Picard's iteration method.	10	
III	Linear systems of equations: Consistency of Linear System of equations, Solutions of Linear Systems by direct method: Gaussian elimination and computation of inverse of a matrix, Method of Factorization, Solutions of linear systems by iterative methods: Jacobimethod, Gauss-Seidel method.	25	
IV	Interpolation and curve fitting: Errors in Polynomial interpolation, Finite differences, Differences of a polynomial, Newton's forward and backward interpolation, Central differences, Gauss, Stirling, Bessel's and Everett's Formulae, Lagrange's Interpolation formula.	20	
V	Numerical differentiation and integration: Numerical differentiation, Newton-Cotes Integration formula, Numerical integration by Trapezoidal rule, Simpson's 1/3, Simpson's 3/8, and Romberg Integration.	10	
Suggested Readings (Part-A Numerical Analysis):			
<p>1. S. S. Sastry: Introductory Methods Numerical Analysis, Prentice- Hall of India.</p> <p>2. C.F. Gerald and P. O. Wheatley: Applied Numerical Analysis, Addison- Wesley, 1998.</p> <p>3. Konte and Debour: Numerical Analysis.</p> <p>4. Suggested digital platform: NPTEL/SWAYAM/MOOCs</p>			
This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), Economics(UG/PG), BBA/BCA, B.Sc.(C.S.)			
Suggested Continuous Evaluation Methods: Max. Marks: 25			
S. No.	Assessment Type	Max. Marks	
1	Class Tests	10	
2	Online Quizzes/Objective Tests/ Presentation	5	
3	Attendance	5	
4	Assignment	5	
Course prerequisites: To study this course, a student must have Diploma in Mathematics.			

GRADUATION- 3rd Year (SEMESTER-V)

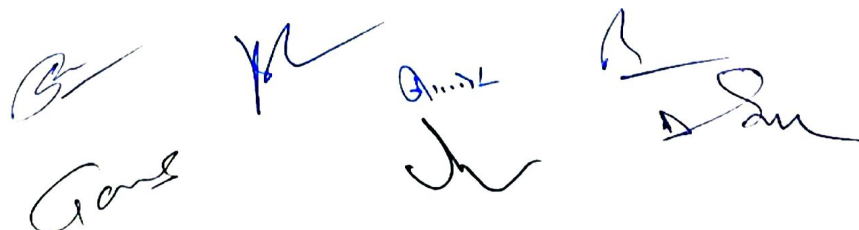
PAPER-II: Graph Theory

Programme: DEGREE IN MATHEMATICS		Year: Third	Semester: Fifth
Subject: Mathematics			
Course Code: UGMAT506T		Course Title: Graph Theory	
<p>Course outcomes: CO1: Upon successful completion, students will have the knowledge of various types of graphs, their terminology, and applications. CO2: After Successful completion of this course students will be able to understand the isomorphism and homomorphism of graphs. This course covers the basic concepts of graphs used in computer science and other disciplines. The topics include path, circuits, adjacency matrix, tree, coloring. After successful completion of this course the student will have the knowledge graph coloring, color problem, vertex coloring.</p>			
Credits: 5		Core Compulsory / Elective	
Max. Marks: 25+75		Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (5-0-0)			
Course Title: Graph Theory			
Unit	Topics	No. of Lectures	
I	Introduction to graphs, basic properties of graphs, Simple graph, multi graph, graph terminology, representation of graphs, Bipartite, regular, planar and connected graphs, connected components in a graph, Euler graphs, Directed, Undirected, multi-graph, mixed graph.	20	
II	Walk and unilateral components, unicursal graph, Hamiltonian path and circuits, Graph coloring, chromatics number, isomorphism and homomorphism of graphs, Incidence relation and degree of the graph.	20	
III	Operation of graph circuit, Path and circuits, Eulerian circuits, Hamiltonian path and cycles, Adjacency matrix, Weighted graph, Travelling salesman problem, shortest path, Dijkstra's algorithm.	20	
IV	Tree, Binary and Spanning trees, Coloring, Color problems, Vertex coloring and important properties.	15	
<p>Suggested Readings (Part-B Graph Theory): 1. Narsingh Deo, Graph Theory with Applications to Engineering and Computer Science, Dover Publications, 2017. 2. Douglas B West, Introduction to Graph Theory, Pearson, 2018. 3. Santanu Saha Ray, Graph Theory with Algorithms and Its Applications: In Applied Science and Technology, Springer India, 2012. 4. Suggested digital platform: NPTEL/SWAYAM/MOOCs</p>			
This course can be opted as an elective by the students of following subjects: Engg. and Tech.(UG), BCA, B.Sc.(C.S.)			
Suggested Continuous Evaluation Methods: Max. Marks: 25			
S. No	Assessment Type	Max. Marks	
1	Class Tests	10	
2	Online Quizzes/Objective Tests/ Presentation	5	
3	Attendance	5	
4	Assignment	5	
Course prerequisites: To study this course, a student must have Diploma in Mathematics.			

**GRADUATION- 3rd Year (SEMESTER-V)
PAPER-II: **Mechanics****

Programme: DEGREE IN MATHEMATICS	Year: Third	Semester: Sixth
Subject: Mathematics		
Course Code: UGMAT507T	Course Title: Mechanics	
Course outcomes:		
CO1: The object of the paper is to give students knowledge of basic mechanics such as simple harmonic motion, motion under other laws and forces.		
CO2: The student, after completing the course can go for higher problems in mechanic such as hydrodynamics, this will be helpful in getting employment in industry.		
Credits: 5	Core Compulsory / Elective	
Max. Marks: 25+75	Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (5-0-0)		

Course Title: Mechanics		
Unit	Topics	No. of Lectures
I	Rectilinear motion: Newton's Laws of Motion, velocity and acceleration, motion under constant acceleration, motion under inverse square law, rectilinear motion with variable acceleration, Simple Harmonic Motion.	15
II	Kinematics in two dimensions: Angular velocity and angular acceleration, Components of velocity and acceleration along coordinate axes, Radial and transverse components of velocity and acceleration, tangential and normal components of velocity and acceleration.	25
III	Motion in resisting medium, constrained motion and Central orbits: Terminal Velocity, Motion in resisting medium in a straightline, Motion on vertical circle, Cycloidal motion, Central Force, Central orbit, intrinsic equation, Pedal form, apse and apsidal distance.	25
IV	Statics: Coplanar Forces, Equilibrium of forces in three dimensions, Common catenary, Catenary of uniform strength, Virtual work.	10
Suggested Readings (Mechanics) :		
1. M. Ray: A Textbook on Dynamics, S. Chand. 2. M. Ray: A Textbook on Statics, S. Chand. 3. A. S. Ramsay: Dynamics, Cambridge University Press. 4. S. L. Loney: Dynamics of a particle and of rigid bodies, Cambridge University Press. 5. Suggested digital platform: NPTEL/SWAYAM/MOOCs		
This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), B.Sc.(C.S.)		
Suggested Continuous Evaluation Methods: Max. Marks: 25		
S. No	Assessment Type	Max. Marks
1	Class Tests	10
2	Online Quizzes/Objective Tests/ Presentation	5
3	Attendance	5
4	Assignment	5
Course prerequisites: To study this course, a student must have Diploma in Mathematics.		



GRADUATION- 3rd Year (SEMESTER-VI)

PAPER-I: Linear Programming Problem

Programme: DEGREE IN MATHEMATICS	Year: Third	Semester: Sixth
Subject: Mathematics		
Course Code: UGMAT601T	Course Title: Linear Programming Problem	
Course outcomes:		
<p>CO1: The object of the paper is to give students knowledge of basic I. Linear programming problems, Graphical approach, simplex method, Optimality and unboundedness, Two-phase method, Big-M method and their comparison, Duality for solving some LPP.</p> <p>CO2: The student, after completing the course can go for higher problems in Linear as well as nonlinear Programming and operations research, this will be helpful in getting employment in industry.</p>		
Credits: 5	Core Compulsory / Elective	
Max. Marks: 25+75	Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (5-0-0)		

Course Title: Linear Programming Problem		
Unit	Topics	No. of Lectures
I	Linear programming problems, Graphical approach for solving some LPP, Convex sets, Supporting and separating hyper planes.	15
II	Theory of simplex method, Optimality and unboundedness, The simplex algorithm, Simplex method in tableau format, Introduction to artificial variables.	25
III	Two-phase method, Big-M method, and their comparison.	15
IV	Duality, formulation of the dual problem, Primal-dual relationships, Economic interpretation of the dual.	20
Suggested Readings :		
<p>1. Mokhtar S. Bazaraa, John J. Jarvis and Hanif D. Sherali, Linear Programming and Network Flows, 2nd Ed., John Wiley and Sons, India, 2004.</p> <p>2. F.S.Hillier and G.J.Lieberman, Introduction to Operations Research, 8th Ed., TataMcGrawHill, Singapore, 2004.</p> <p>3. Hamdy A. Taha, Operations Research, An Introduction, 8th Ed., Prentice-Hall India, 2006.</p>		
This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), B.Sc.(C.S.)		
Suggested Continuous Evaluation Methods: Max. Marks: 25		
S. No.	Assessment Type	Max. Marks
1	Class Tests	10
2	Online Quizzes/Objective Tests/ Presentation	5
3	Attendance	5
4	Assignment	5
Course prerequisites: To study this course, a student must have Diploma in Mathematics.		

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GRADUATION- 3rd Year (SEMESTER-VI)

PAPER-II: Linear Algebra

Programme: DEGREE IN MATHEMATICS		Year: Third	Semester: Sixth
Subject: Mathematics			
Course Code: UGMAT602T		Course Title: Linear Algebra	
Course outcomes:			
CO1: Fundamental understanding of key concepts in linear algebra.			
CO2: Proficiency in matrix operations and solving systems of linear equations.			
CO3: Application of linear algebra in mathematics and other fields.			
CO4: Development of critical thinking and problem-solving skills.			
Credits: 5		Core Compulsory / Elective	
Max. Marks: 25+75		Min. Passing Marks: As per University norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (5-0-0)			
Course Title: Linear Algebra			
Unit	Topics		No. of Lectures
I	Vector space: Introduction, subspaces, Linear combinations, linear spans, Sums and direct sums, Linear dependence and independence, Bases and dimensions, Dimensions and subspaces, Coordinates and change of bases.		15
II	Linear transformations: Linear transformations, rank and nullity, Linear operators, Algebra of linear transformations, Invertible linear transformations, isomorphism.		15
III	Matrix and linear transformation: Matrix of a linear transformation, Matrix of the sum and product of linear transformations, Change of basis, similarity of matrices.		15
IV	Linear functional: Linear functional, Dual space and dual basis, Double dual space, Annihilators, Hyperspace, Transpose of a linear transformation.		10
V	Eigen values and Eigen vectors: Eigen vectors and Eigen values of a matrix, product of characteristic roots of a matrix and basic results on characteristic roots, nature of the characteristic roots of Hermitian, skew-Hermitian, unitary, and orthogonal matrices, characteristic equation of a matrix, Cayley-Hamilton theorem, and its use in finding inverse of a matrix.		20
Suggested Readings (Part-A Linear Algebra):			
1. Hadley: Linear Algebra.			
2. Hoffman and Kunze: Linear Algebra, Prentice Hall of India, New Delhi, 1972.			
3. H. Helson: Linear Algebra, Hindustan Book Agency, New Delhi, 1994.			
4. K. B. Dutta: Matrix and Linear Algebra, Prentice Hall of India.			
5. S. Lang: Linear Algebra, Springer.			
6. Suggested digital platform: NPTEL/SWAYAM/MOOCs.			
This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), B.Sc.(C.S.)			
Suggested Continuous Evaluation Methods: Max. Marks: 25			
S. No.	Assessment Type		Max. Marks
1	Class Tests		10
2	Online Quizzes/Objective Tests/ Presentation		5
3	Attendance		5
4	Assignment		5
Course prerequisites: To study this course, a student must have Diploma in Mathematics.			

Detailed Syllabus

For

**HONOURS DEGREE
IN
MATHEMATICS**

**GRADUATION-4th Year
(Semester -VII & VIII)**

VII Semester

MTH101 - Discrete Mathematics

Unit 1. Principle of mathematical induction partially ordered sets, Lattices: Lattices as partially ordered sets, Their Properties, Lattices, and algebraic systems, Principle of duality, Sub lattices, Complete, Complemented and Distributive lattices.

Unit 2. Boolean algebra, Boolean functions, Boolean expressions, Applications to switching circuits.

Unit 3. Elements of graph theory: Basic terminology, Paths and circuits, Eulerian and Hamiltonian graphs, planar graphs, Directed graphs.

Unit 4. Trees: Rooted trees, Path lengths, spanning trees, minimum spanning trees.

Books Recommended:

C. L. Liu: "Elements of Discrete Mathematics", Tata McGraw Hill Education, 2008.

Ram Babu: "Discrete Mathematics", Pearson Edition India, 2011.

Lipschutz: "Discrete Mathematics", Tata McGraw Hill, 2011.

MTH102 - Abstract Algebra

Unit 1. Introductions of group, Relation of conjugacy, Conjugate class of a group, Class equation, Lagrange's theorem, Cayley's theorem, Sylow's theorem and its applications.

Unit 2. Normal and subnormal series, Composition series, Jordan Holder theorem, Chain conditions, Commutators. Solvable groups, solvability of subgroups and factor groups, Nilpotent groups, and their equivalent characterizations.

Unit 3. Rings, ideals, prime and maximal ideals, quotient rings. Factorization theory in commutative domains, Prime and irreducible elements, Euclidean Domains, Principal Ideal Domain, Divisor chain condition, Unique Factorization Domains, examples, and counter examples, Polynomial rings over domains, Eisenstein's irreducibility criterion, Unique factorization in polynomial rings over U.F.D.s.

Unit 4. Fields, Finite fields, Field extensions, Galois group.

Books Recommended:

1. J.A. Gallian - "Contemporary Abstract Algebra", Narosa Publication.
2. N. Jacobson - "Basic Algebra", Vol.1, Hindustan Publishing Co., New Delhi.
3. Ramji Lal - "Fundamentals in Abstract Algebra", Chakra Prakashan, Allahabad, 1985.
4. I.N. Herstein - "Topics in Algebra", Wiley Eastern Ltd., N.D., 1975.
5. D.S. Dummit and R.M. Foote - "Abstract Algebra", John Wiley, N.Y.
6. J.B. Fraleigh - "Abstract Algebra", Narosa Publication.

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MTH103 - Real Analysis

Unit 1. Functions of several variables: Concept of functions of two variables, Simultaneous and iterated limits in functions of two variables, Partial derivatives: Definition and examples, Existence and continuity, Interchange of order of differentiation, Directional derivatives.

Unit 2. Composite functions, Continuity of function of two variables, Differentiability of functions of two variables, Taylor's Theorem.

Unit 3. Definition and examples of metric space, pseudo metric, discrete and usual metric space, diameter of a set. Open and closed sets in a metric space, Interior point, Limit point, Adherent point, Closed set, Neighbourhood, Closure of a set, Interior of a set, Bolzano-Weirstrass theorem, Complete metric space, Cauchy sequence, Convergent sequence, Bounded Sequence.

Unit 4. Separated sets, Connected and disconnected sets, Continuity and connectedness, Compactness, Compactness and uniform continuity, Continuity and Uniform continuity in a metric space.

Books Recommended:

1. S.C. Malik and Savita Arora: "Mathematical Analysis".
2. W. Rudin: "Principles of Mathematical Analysis".
3. T.M. Apostol: "Mathematical Analysis".
4. S.K. Mapa: "Introduction to Real Analysis".
5. Terence Tao: "Real Analysis".
6. J. R. Munkres: "Analysis on Manifolds".
7. E.T. Copson, "Metric Space".

MTH104 - Differential Geometry and Tensor Calculus

Unit 1. Curve in space, parameterized curves, Regular curves, Helices, Arc length, Re-parameterization (by arc length), Tangent, Principal normal, Binormal, Osculating plane, Normal plane, Rectifying plane, Curvature torsion of smooth curves, Serret-Frenet formulae, Frenet approximation of space curve.

Unit 2. Order of contact, Osculating circle, Osculating sphere, Spherical indicatrices, Involutives and Evolutes, Bertrand Curves, Intrinsic equations of space curves, Isometries of R^3 , Fundamental theorem of space curves, Surfaces in R^3 .

Unit 3. Curvature of curves on surfaces, Normal curvature, Principal curvatures, Geometric interpretation of principal curvatures, Euler theorem, Mean curvature, Lines of curvature, Rodrigue's formula, Umbilical points, Minimal surfaces, Definition and examples, Gaussian curvature, Intrinsic formulae for the Gaussian curvature, Isometries of surfaces.

Unit 4. n-dimensional real vector space, Covariant vectors, Contravariant vectors, Kronecker delta, Fundamental algebraic operations: Addition, Multiplication, Tensor product, Dual vector space, Second order tensors, Tensors of type (r, s), Symmetry and Skew symmetry of tensors, Contraction, and Inner product, Quotient law of tensors, Christoffel symbol.

Books Recommended:

1. C.E. Weatherburn: "Riemannian Geometry and Tensor Calculus".
2. Andrew Pressley: "Elementary Differential Geometry".
3. J.A. Thorpe: "Elementary Topics in Differential Geometry".
4. D. Somasundaram: "Differential Geometry, A First Course".
5. T.J. Willmore: "An Introduction to Differential Geometry".
6. N. J. Hicks, Notes on Differential Geometry, Van Nostrand.



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VIII Semester

MTH201 – Linear Algebra

Unit 1. A brief review of vector space, Inner products, Orthogonality, Best approximations, Projections, Cauchy-Schwartz inequality.

Unit 2. Adjoint of a linear transformation, Self-adjoint transformations, Unitary operators. Normal operators: Definition and properties and Spectral theorem.

Unit 3. Eigen vectors and eigen values of a linear operator, Minimal polynomial of a linear operator and its relations to characteristic polynomial, Cayley-Hamilton theorem.

Unit 4. Bilinear forms, Symmetric and skew-symmetric bilinear forms, Groups preserving bilinear forms.

Books Recommended:

1. Sheldon Axler - "Linear Algebra Done Right".
2. Kenneth Hoffman and Ray Kunze - "Linear Algebra".
3. Serge Lang - "Linear Algebra".
4. Gilbert Strang - "Linear Algebra and its Applications".
5. Hadley - "Linear Algebra".
6. H. Helson - "Linear Algebra", Hindustan Book Agency, New Delhi, 1994.

MTH202 - Complex Analysis

Unit 1. Conformal mappings, Power series representation of analytic functions, Analytic functions as mappings, Riemann sphere, Linear transformations, Mobius transformation, Cross ratios, Mobius transformation on circles.

Unit 2. Analytic Continuation: Direct Analytic Continuation, Monodromy theorem, Poisson Integral Formula, Analytical Formula, Analytical Continuation via Reflection.

Unit 3. Entire functions, Hadamard's three circle theorem, Meromorphic functions, The argument principle, Rouché's theorem, Schwarz lemma, The open mapping theorem.

Unit 4. Lines of half planes in complex plane, Extended complex plane, Stereographic projection. Maximum modulus principle, Little Picard Theorem, Great Picard Theorem.

Books Recommended:

1. Lars V. Ahlfors - "Complex Analysis: An Introduction to the Theory of Analytic Functions of One Complex Variable", McGraw-Hill Education.
2. John B. Conway - "Functions of One Complex Variable I".
3. Walter Rudin - "Real and Complex Analysis".
4. S. S. Ponnusamy and Silverman J. - "Complex Variables with Applications".
5. Denish G. Zill and Patrick D. Shanahan - "Complex Analysis", Jones & Bartlett Learning.
6. D. Sarason - "Complex Function Theory", Hindustan Book Agency, Delhi, 1994.

The image shows four distinct handwritten signatures in blue ink, arranged horizontally. From left to right: the first is a stylized 'G' with a checkmark; the second is a cursive 'K'; the third is 'Amit' above a cursive 'J'; the fourth is a cursive 'A' above a cursive 'S'.

MTH203- Differential Equations

Unit 1. Existence and uniqueness of solutions of initial value problems for first order ordinary differential equations, Singular solutions of first order ODEs, System of first order ODEs., General theory of homogeneous and non-homogeneous linear ODEs, variation of parameters, Sturm-Liouville boundary value problem, Green's function, Wronskians.

Unit 2. Formation of P.D.Es. First order P.D. Es, Classification of first order, P.D.Es, Complete, general, and singular integrals, Lagrange's or quasi-linear equations, Integral surfaces through a given curve. Orthogonal surfaces to a given system of surfaces, Characteristic curves.

Unit 3. Pfaffian differential equations, Compatible systems, Charpit's method, Jacobi's Method. Cauchy problem for first order PDEs.

Unit 4. Classification of second order P.D.Es, Linear PDEs equations with constant coefficients, General solution of higher order PDEs with constant coefficients, Reduction to canonical forms.

Books Recommended:

1. M.D. Raisinghania - "Advanced Differential Equations".
2. D.P. Choudhary and H.I. Freedman - "A Course in Ordinary Differential Equations".
3. T. Amaranath - "An Elementary Course in Partial Differential Equations".
4. Erwin Kreyszig - "Advanced Engineering Mathematics".
5. S. L. Ross - "Differential Equations", Wiley Publications.
6. G. F. Simmons - "Differential Equations with applications and historical notes", CRC Press.

MTH204- Operations Research-I

Unit 1. Introduction to Operations research, methodology of Operations research, Features of Operations research problems, Different models in Operations research, Opportunity, and shortcomings of Operations research's approach.

Unit 2. Game theory: two persons zero sum game, game with saddle points, rule of dominance; algebraic, graphical, and linear programming, concept of mixed strategy. Sequencing problems: processing of n jobs through 2 machines, n jobs through 3 machines, 2-jobs through m machines, n jobs through m machines.

Unit 3. Revised simplex method and bounded variable problems. Pure and Mixed Integer Programming, Gomory's cutting plane method for Integer Programming, Fractional Cut Method, Sensitivity analysis.

Unit 4. Dynamic Programming under certainty, Nonlinear Programming Method, Quadratic Programming, Kuhn-Tucker conditions.

Books Recommended:

1. Hamdy A. Taha: "Operations Research: An Introduction".
2. Wayne L. Winston: "Operations Research: Applications and Algorithms".
3. Richard Bronson: "Operations Research: A Practical Introduction".
4. Kanti Swarup, P.K. Gupta, Man Mohan: "Operations Research: Theory and Applications".
5. S. Kalavathy: "Operations Research".
6. S. S. Rao: "Optimization Theory and Applications", Wiley Eastern.



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**Minor/Additional/
Interdisciplinary/
Multidisciplinary Course**



GRADUATION-1st Year (SEMESTER-I/II)

Minor Elective: **Probability**

Programme: Minor/Additional/ Interdisciplinary/ Multidisciplinary Course		Year: First	Semester: First/Second
Subject: Mathematics			
Course Code: MEC01		Course Title: Probability	
Course outcomes: CO1: Learn about probability density and moment generating functions. CO2: Know about various univariate distributions such as Bernoulli, Binomial, Poisson, Gamma and exponential distributions. CO3: Learn about distributions to study the joint behavior of two random variables.			
Credits: 4		Minor Elective	
Max. Marks: 25+75		Min. Passing Marks: As per university norms	
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (4-0-0)			
Course Title: Probability			
Unit	Topics	No. of Lectures	
I	Sample space, Probability set function, Real random variables - Discrete and continuous, Cumulative distribution function, Probability mass/density functions, Transformations, Mathematical expectation, Moments, Moment generating function, Characteristic function.	15	
II	Discrete distributions: Uniform, Bernoulli, Binomial, Negative binomial, Geometric and Poisson; Continuous distributions: Uniform, Gamma, Exponential, Chi-square, Beta and normal; Normal approximation to the binomial distribution.	15	
III	Joint cumulative distribution function and its properties, Joint probability density function, Marginal distributions.	15	
IV	Expectation of function of two random variables, Joint moment generating function, Conditional distributions and expectations.	15	
Suggested Readings (Part-A Linear Algebra): 1. Hogg, Robert V., McKean, Joseph W., & Craig, Allen T. (2013). Introduction to Mathematical Statistics (7th ed.). Pearson Education, Inc. 2. Miller, Irwin & Miller, Marylees. (2014). John E. Freund's Mathematical Statistics with Applications (8th ed.). Pearson. Dorling Kindersley (India). 3. Ross, Sheldon M. (2014). Introduction to Probability Models (11th ed.). Elsevier Inc.			
This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), B.Sc.(C.S.) and other subject's students.			
Suggested Continuous Evaluation Methods: Max. Marks: 25			
S. No	Assessment Type	Max. Marks	
1	Class Tests	10	
2	Online Quizzes/Objective Tests/ Presentation	5	
3	Attendance	5	
4	Assignment	5	
Course prerequisites: To study this course a student must have studied Mathematics in class 12 th .			

GRADUATION-2nd Year (SEMESTER- III/IV)

Minor Elective: Financial Mathematics

Programme: Minor/Additional/ Interdisciplinary / Multidisciplinary Course		Year: Second	Semester: Third/Fourth
Subject: Mathematics			
Course Code: MEC02		Course Title: Financial Mathematics	
Course outcomes: On completion of this course, the student will be able to: CO1: Know the basics of financial markets and derivatives including options and futures. CO2: Learn about pricing and hedging of options, as well as interest rate swaps. CO3: Learn about the no-arbitrage pricing concept and types of options.			
Credits: 4	Minor Elective		
Max. Marks: 25+75	Min. Passing Marks: As per university norms		
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (4-0-0)			
Course Title: Financial Mathematics			
Unit	Topics	No. of Lectures	
I	Interest rates, Types of rates, Measuring interest rates, Zero rates, Bond pricing, Forward rate, Duration, Convexity, Exchange traded markets and OTC markets, Derivatives--forward contracts, Futures contract, Options, Types of traders, Hedging, Speculation, Arbitrage.	20	
II	No Arbitrage principle, short selling, Forward price for an investment asset, Types of options, Option positions, Underlying assets, Factors affecting option prices.	15	
III	Bounds on option prices, Put-call parity, Early exercise, Effect of dividends. Binomial option pricing model.	10	
IV	Risk neutral valuation (for European and American options on assets following binomial tree model), Lognormal property of stock prices, Distribution of rate of return, expected return.	15	
Suggested Readings (Part-A Linear Algebra):			
1. Hull, J. C., & Basu, S. (2010). Options, Futures and Other Derivatives (7th ed.). Pearson Education. New Delhi.			
2. David G. (1998). Investment Science, Oxford University Press. Delhi.			
This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), B.Sc.(C.S.) and other subject's students.			
Suggested Continuous Evaluation Methods: Max. Marks: 25			
S.No.	Assessment Type	Max. Marks	
1	Class Tests	10	
2	Online Quizzes/Objective Tests/ Presentation	5	
3	Attendance	5	
4	Assignment	5	
Course prerequisites: To study this course a student must have studied Mathematics in class 12 th .			

GRADUATION-4th Year (SEMESTER- VII/VIII)

Degree with Honours /Research

Minor Elective: Research Methodology

Programme: Minor/Additional/ Interdisciplinary / Multidisciplinary Course		Year: Fourth	Semester: Seventh/ Eighth
Subject: Mathematics			
Course Code: MEC03		Course Title: Research Methodology	
Course outcomes: On completion of this course, the student will be able to understand the basics of research and some methodology.			
Credits: 4	Minor Elective		
Max. Marks: 25+75	Min. Passing Marks: As per university norms		
Total No. of Lectures-Tutorials-Practical (in hours per week): L-T-P: (4-0-0)			
Course Title: Research Methodology			
Unit	Topics	No. of Lectures	
I	Perception of Research, Meaning of Research, Empirical and theoretical research, Inductive and Deductive logics.	15	
II	Research hypothesis, Scientific Methods, Research Design, Type of Data and Collection. Use of computers in obtaining results, valid & invalid generalization.	15	
III	Sampling, Sampling Distribution, Testing of Hypothesis.	15	
IV	Correlation and Regression, Time Series Analysis.	15	
Suggested Readings:			
1. Ethics in Research and Publication Ethics: Philosophy and ethics, Scientific conduct, Publication ethics.			
2. Write Mathematics Right by L. Radhakrishna, Narosa Publishing House, 2003.			
This course can be opted as an elective by the students of following subjects: Engg. and Tech. (UG), B.Sc. (C.S.) and other subject's students.			
Suggested Continuous Evaluation Methods: Max. Marks: 25			
S.No.	Assessment Type	Max. Marks	
1	Class Tests	10	
2	Online Quizzes/Objective Tests/ Presentation	5	
3	Attendance	5	
4	Assignment	5	
Course prerequisites: To study this course a student must have studied Mathematics.			

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